

Problem

Localizing functional objects in surveillance videos

Functional objects can satisfy human needs:

- hunger: food truck,
- thirst: vending machine,
- rest: bench,
- cleanliness: trash bin.

Functional objects hard to detect = "Dark matter" Dark matter" attracts people to satisfy the needs People have intents to approach "dark matter"

"Dark matter" is at the ends of people's trajectories

Challenges:

- Tracking people in surveillance videos is noisy.
- Not all end points of the trajectories observed.

Approach

Assumptions:

- Scene layout consists of:
- Dark-matter locations,
- Walkable areas,

ONON-walkable areas + obstacles = Constraint map.

• People:

- Familiar with the scene layout,
- •Move only to one goal "dark matter" at a time,
- \circ Take the shortest path to the goal avoiding obstacles.

Allows a global estimation of the trajectories' end points

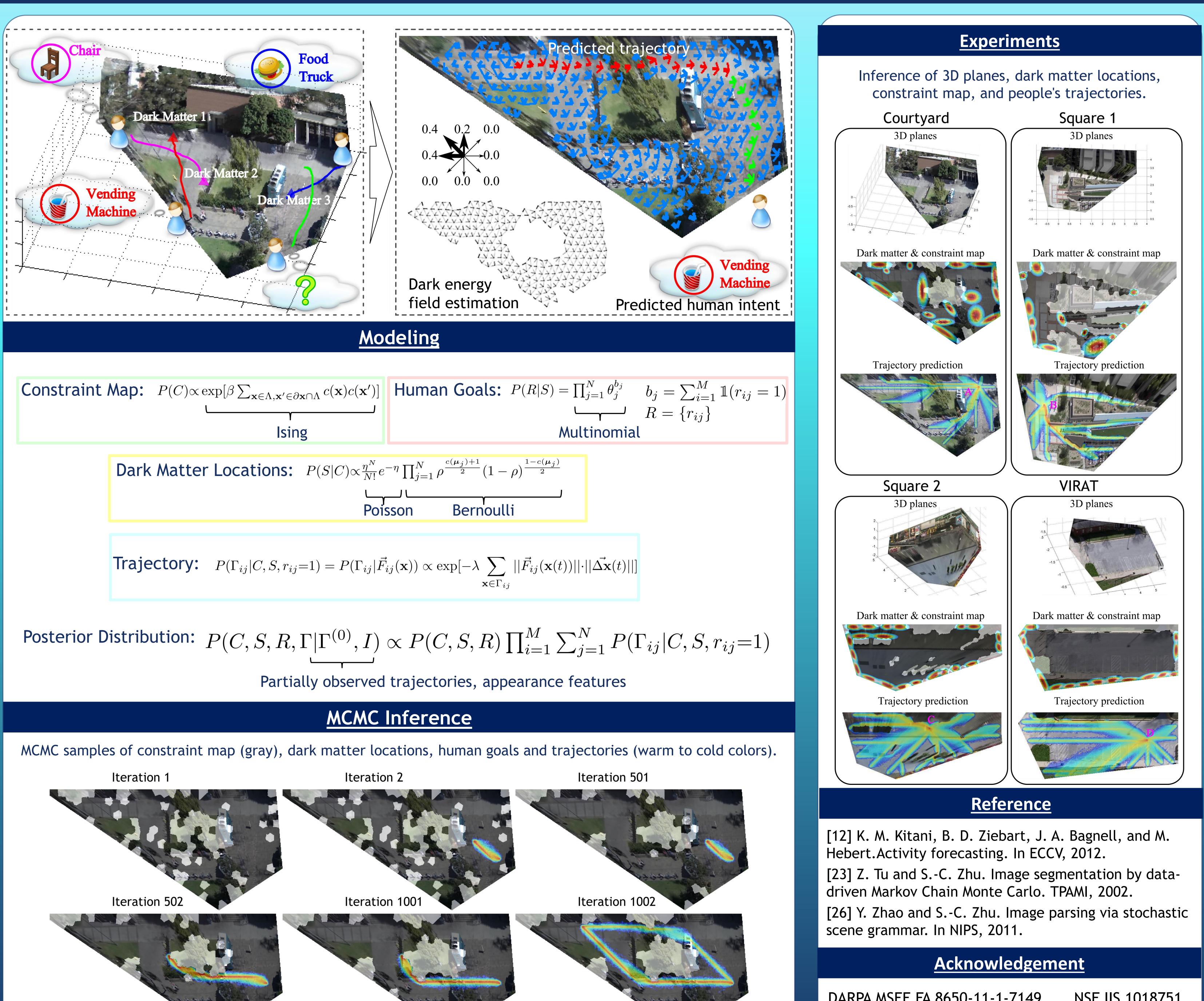
Given a video with partially observed trajectories of many people, use a Data-Driven MCMC to infer:

- □ Human mind = Intent to approach a particular "dark matter",
- □ Constraint map of the scene,
- "Dark energy" = Vector field that attracts/repels people
- □ End points of the trajectories = "Dark matter" locations.

Contribution

Agent-based Lagrangian Mechanics cast within a Bayesian framework

Inferring "Dark Matter" and "Dark Energy" from Videos Dan Xie¹, Sinisa Todorovic² and Song-Chun Zhu¹ ¹ University of California, Los Angeles, ² Oregon State University



| Constraint | Map: | $P(C) \propto \mathrm{ex}$ | $\exp[\beta \sum_{\mathbf{x} \in \Lambda, \mathbf{x}' \in \Lambda}]$ | $\partial_{\mathbf{x} \cap \Lambda} c(\mathbf{x}) c(\mathbf{x}')$ | Huma |
|------------|-------|----------------------------|--|---|--------------------------------------|
| | lsing | | | | |
| | | | | | |
| | Dark | Matter | Locations | : $P(S C) \propto \frac{\eta^N}{N!}$ | $e^{-\eta}\prod_{j=1}^N h$ |
| | | | | | |
| | | | | Po | isson |
| | | | | | |
| | Traie | ctorv: | $P(\Gamma_{ii} C,S,r$ | $P_{ii}=1) = P(\Gamma_{ii} I)$ | $\vec{F}_{ii}(\mathbf{x}) \propto 0$ |

